# Preparing for the (Non-Existent?) Future of Work

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ABFER Webinar

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- Growing concerns that new technologies, esp. AI, may substitute for human labor and lead to "technological unemployment"
- Decades of stagnating wages for lesser-skilled workers in advanced economies, leading to growing political discontent
- Predictions of impending transformative advances in AI (TAI) add new fuel to the question

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- Long history of fallacies about technological progress
  - e.g. Luddism and lump-of-labor fallacy
- $\rightarrow\,$  how do we make sense of predictions about labor becoming redundant?
- $\rightarrow\,$  should labor be phased out if we approach such a world? and how?
- $\rightarrow\,$  how to set up institutions for a future in which work may be non-existent?

- **1** Taxonomy of concerns about the (non-existent?) future of work:
  - labor-saving progress
  - technological substitutability of labor
  - economic redundancy of labor
- Analyze optimal policy in the face of declining MPLs
- Selate to design of real-world economic institutions

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#### Assumptions:

- From the perspective of information theory, the human brain is a computing device
  - it takes inputs and computes outputs
  - this applies no matter what tasks we are engaged in, even if they involve creativity, social & emotional intelligence, etc.
- So do computers and in their most intelligent form, AI systems
- Many researchers predict that AI will eventually surpass HI and still continue to advance
- Transformative advances in AI may pose severe challenges for humanity and economic harms are a major category of TAI risks

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#### 1) Labor-Saving Technological Progress:

- since the Industrial Revolution, technological progress has been approximately neutral: all factors have benefited proportionately
  - $\rightarrow$  livings standards of workers have risen in tandem with economic growth
- no economic law that progress must be neutral

**Concern 1:** technological progress reduces demand for labor at given market prices:

$$w = F_{\ell}(\ell, \dots) \downarrow$$

• harbinger: progress in recent decades has been biased against labor, and labor-saving for the unskilled (Autor, mult.)

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# Capturing the Concerns about the End of Labor

1) Labor-Saving Technological Progress (Hicks, 1932):



Figure: Varieties of technological progress

### 2) Technological Substitutability of Labor:

• in the past, labor has been the bottleneck in production  $\rightarrow$  scarcity has increased wages over time

• at some point, machines may be able to do everything

**Concern 2:** Machines can substitute for any type of labor  $\ell > 0$  in production

$$\forall \ell > 0, m \exists \Delta m \text{ s.t. } F(0, m + \Delta m) \geq F(\ell, m)$$

- not currently possible, but advances in AI proceeding rapidly
- Concern 1 neither necessary nor sufficient for Concern 2
- But: Concern 2 + Moore's Law  $\implies$  Concern 1

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#### Predictions on Technological Substitutability of Labor

- predictions: human-level AI may be reached in coming decade:
  - Ray Kurzweil & Elon Musk: 2029
  - Bostrom (2014) survey of A(G)I researchers: mid-2040s
  - Grace et al (2018) survey of AI researchers: 50% probability by 2060s
  - some people predict: never
- $\bullet$  computing power of brain  $\approx 10^{15}$  flops
- most powerful supercomputer: Frontier  $\approx 2 \times 10^{18}$  flops (at cost of \$600m)
- Moore's Law continuing...

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### 3) Strong Economic Redundancy of Labor:

- in economics, we don't care about technological possibilities but about what's cost-effective
- at some point, machines may be able to do everything *cheaper*
- cheaper than current wages
- and eventually even cheaper than human subsistence

**Concern 3:** Machines perform any economically valuable task cheaper than humans, valued at their subsistence cost,

$$\forall \ell > 0, m \exists \Delta m \text{ s.t. } F(\ell, m) \leq F(0, m + \Delta m), \Delta m < c_0 \ell$$

• Concern 3  $\implies$  Concerns 1 & 2 ... so it is farther in the future

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### 3') Weak Economic Redundancy of Labor:

 $\bullet\,$  even if some jobs remain for humans, there may not be enough demand for these  $\to$  look at marginal product of labor

**Concern 3':** Machines push the competitive wage of human labor below the subsistence cost of humans, or for given economy-wide factor supplies of labor  $\ell$  and other factors m,

$$F_{\ell}\left(\ell,m
ight) < c_{0}$$

- Concern 3  $\implies$  Concern 3'
- Concern 3'  $\implies$  Concern 1 but neither necessary nor sufficient for Concern 2

Wassily Leontief (1983): "the role of humans as the most important factor of production is bound to diminish – in the same way that the role of horses in agricultural production was first diminished and then eliminated by the introduction of tractors."

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#### **Objections to Economic Redundancy:**

- departs from historical experience
- technologically impossible / human superiority
- ignores new jobs / lump-of-labor fallacy
- Ignores lessons from comparative advantage
- economy needs human demand / vs investment
- upgrading of humans
- preference for human service providers ("nostalgic" jobs)

How do we allocate work and income to maximize utilitarian welfare?

1) Case of a single individual

 $U\left( c,\ell
ight) =u\left( c-c_{0}
ight) +v\left( 1-\ell
ight) ext{ for }c\geq c_{0} ext{ and }-\infty ext{ otherwise }$ 

- subsistence level of consumption  $c_0$
- labor productivity (or wage) w working full-time
- non-labor income (transfer or capital income) T
- (first-best) optimization problem

$$\max_{\ell\geq 0} U(w\ell+T,\ell)$$

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# Optimally Allocating Work and Income



Figure: Regions for labor provision and iso-welfare curves

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# Optimally Allocating Work and Income

## Proposition (Optimal Labor Provision)

The agent's optimum can be decomposed into the following regions:

- (Perish) If  $T + w < c_0$ , the agent perishes.
- 3 (Work) If  $T + w \ge c_0$  and  $w > \bar{w}(T)$ , the agent works.  $\bar{w}(T)$  is given by

$$ar{w}\left(\mathcal{T}
ight):=rac{v'\left(1
ight)}{u'\left(\mathcal{T}-c_{0}
ight)}$$
 if  $\mathcal{T}>c_{0}$  and 0 otherwise

The optimum amount of labor is determined by

$$wu'(w\ell+T)=v'(1-\ell)$$

An increase in T raises utility, decreases  $\ell$ , and raises  $\bar{w}$  for  $T > c_0$ . An increase in w increases utility and has ambiguous impacts on  $\ell$ . If  $T < c_0$ , labor must satisfy  $\ell > (c_0 - T) / w > 0$  to guarantee survival. (Don't Work) If  $T > c_0$  and  $w < \bar{w}(T)$ , it is optimal to set  $\ell = 0$ .

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How do we allocate work and income to maximize utilitarian welfare?

2) Case of multiple workers who differ in labor productivity w<sup>i</sup>:
optimization problem of utilitarian social planner

$$\max_{\{c^{i},\ell^{i}\}_{i}}\sum_{j}U\left(c^{i},\ell^{j}\right)=\sum_{i}\left[u\left(c^{i}-c_{0}\right)+v\left(1-\ell^{i}\right)\right]$$

s.t. resource constraint

$$\sum_{i} c^{i} = Y = F(\ell, m) = F\left(\sum_{i} w^{i} \ell^{i}, m\right)$$

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Figure: Optimal allocation of labor  $\ell^i$  as a function of labor productivity  $w^i$ 

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Figure: Optimal allocation of labor  $\ell^i$  as a function of labor productivity  $w^i$ 

Image: A matrix and a matrix



Figure: Optimal allocation of labor  $\ell^i$  as a function of labor productivity  $w^i$ 



Figure: Optimal allocation of labor  $\ell^i$  as a function of labor productivity  $w^i$ 

## Proposition (Optimal Allocation With Heterogeneous Productivity)

• 
$$\exists \bar{w} \ s.t. \ \ell^i = 0$$
 for all agents with  $w^i \leq \bar{w}$ , and

$$\ell^{i}\left(w^{i}
ight)=1-\left(v^{\prime}
ight)^{-1}\left[w^{i}\cdot F_{\ell}\left(\ell,m
ight)u^{\prime}\left(\cdot
ight)
ight]>0$$

for each agent with  $w^i > \overline{w}$ .  $\ell^i(\cdot)$  is increasing in  $w^i$  and  $F_\ell$ , and decreasing in Y.

- **2** Everyone works as long as  $Y < \underline{Y}$ . The planner starts phasing out work for  $Y > \underline{Y}$ . All work is phased out if autonomous output  $Y_0 = F(0, m) \ge \overline{Y}_0$ .
- The distribution of consumption is independent of productivity,

$$c^i = \bar{c} = \frac{Y}{I} \ \forall i$$

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How do we allocate work, income and amenities to maximize utilitarian welfare?

### 3) Case of work amenities

#### Work involves not only giving up leisure for wages:

• work amenities include identity, structure, meaning, social connections, etc – captured by  $a^i = \alpha^i \ell^i$  with  $\alpha^i \gtrless 0$ 

$$U\left(\boldsymbol{c}^{i},\boldsymbol{\ell}^{i},\boldsymbol{a}^{i}\right)=u\left(\boldsymbol{c}^{i}-\boldsymbol{c}_{0}\right)+v\left(1-\boldsymbol{\ell}^{i}\right)+x\left(\boldsymbol{a}^{i}\right)$$

- amenities may compensate for wage income
- compensating differential  $z^i \geq w^i \ell^i$  (Rosen, 1986...)
- for some, work may be desirable even if  $w^i = 0$
- but 65% of workers are "disengaged/not engaged" from work (Gallup)

# Work Amenities

## Proposition (Optimal Labor Allocation With Amenities)

- $\exists$  frontier of  $(w^i, \alpha^i)$  such that  $\ell^i = 0$  for sufficiently low  $w^i$  and  $\alpha^i$ , and  $\ell^i > 0$  is increasing in  $w^i$  and  $\alpha^i$  otherwise
- **2** If  $\alpha^i > \alpha_0^i := v'(1) / x'(0)$ , then  $\ell^i > 0$  even for  $w^i = 0$ ; this is always the case if  $z^i > w^i \ell^i$



Figure: Optimal labor allocation with amenities

Korinek and Juelfs (March 2023)

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How do we allocate work, income and amenities to maximize utilitarian welfare?

#### 4) Case of internalities and externalities from work amenities

- policy proposals often propose interventions to preserve work without explicitly spelling out the rationale
  - $\rightarrow\,$  risk of acting out of a "status quo" bias
- economic perspective: let individuals make their own choices (invisible hand) unless there are externalities or internalities at work

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#### Internalities and Externalities from Work Amenities:

- work amenities may involve externalities: e.g. social connections (+), political stability (+), commuting/congestion (-)
  - captured by "public amenity"  $ar{a} = \sum_j ar{lpha}^j \ell^j / I$  with type j contribution  $ar{lpha}^j$

$$U\left(\boldsymbol{c}^{i},\boldsymbol{\ell}^{i},\boldsymbol{a}^{i},\bar{\boldsymbol{a}}\right)=u\left(\boldsymbol{c}^{i}-\boldsymbol{c}_{0}\right)+\boldsymbol{v}\left(1-\boldsymbol{\ell}^{i}\right)+\boldsymbol{x}\left(\boldsymbol{a}^{i}\right)+\bar{\boldsymbol{x}}\left(\bar{\boldsymbol{a}}\right)$$

work amenities may involve internalities: e.g. structure (+), workaholism (-)
 captured by individual mis-perceiving individual amenities as â<sup>i</sup> = â<sup>i</sup> ℓ<sup>i</sup>

$$U^{0}\left(\boldsymbol{c}^{i},\boldsymbol{\ell}^{i},\boldsymbol{a}^{i},\boldsymbol{\bar{a}}\right)=u\left(\boldsymbol{c}^{i}-\boldsymbol{c}_{0}\right)+\nu\left(1-\boldsymbol{\ell}^{i}\right)+x\left(\boldsymbol{\hat{a}}^{i}\right)$$

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## Proposition (Allocation of Labor with Externalities and Internalities)

- $\exists$  frontier  $(w^i, \alpha^i, \bar{\alpha}^i)$  such that  $\ell^i = 0$  for sufficiently low  $w^i, \alpha^i$  or  $\bar{\alpha}^i$ , and  $\ell^i > 0$  and increasing in the three parameters otherwise
- If α
  <sup>i</sup> > 0 or α<sup>i</sup> > α
  <sup>i</sup>, then l
  <sup>i</sup> < l<sup>i\*</sup>, calling for an optimal subsidy (tax) to individual i's labor of

$$s^{i} = \frac{\bar{\alpha}^{i}\bar{x}'\left(\bar{a}\right) + \left[\alpha^{i}x'\left(a^{i}\right) - \hat{\alpha}^{i}x'\left(\hat{a}^{i}\right)\right]}{u'\left(c^{i}\right)}$$

### **Different Types of Institutions:**

- market
- social insurance

#### Markets Allocating Work and Income:

- perfect free markets: everybody would be perfectly insured  $\rightarrow$  first-best of egalitarian planner (Korinek and Stiglitz, 2019)
- perfect risk markets unfeasible for the same incentive reasons as perfect social insurance
- $\rightarrow\,$  in practice we have free markets with missing insurance markets:
  - large inefficiencies
  - widespread misery
  - esp. if labor becomes redundant

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#### Social Insurance:

- substitutes for missing risk markets
- classic trade-off of efficiency vs redistribution (but: trade-off mitigated if labor becomes redundant)

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#### Social Insurance:

- substitutes for missing risk markets
- classic trade-off of efficiency vs redistribution (but: trade-off mitigated if labor becomes redundant)
- several categories of transfers:
  - contingent vs uncontingent (e.g. UBI)
  - in-kind vs transfers

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Image: A matrix and a matrix

### One solution: Universal Basic Income (UBI):

- it distributes income in a non-distortionary way
  - negative impact on labor supply (due to income effects) is desirable
- it requires large amounts of revenue, imposing costly distortions
  - it is far from implementing the first-best allocation
  - replacing the current system with a UBI now would hurt the most needy
  - but it may be the best choice when labor is phased out

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  - but it may be the best choice when labor is phased out

Our proposals to prepare for a future in which work may become redundant:

- Introduce a small UBI now
  - which automatically rises if the labor share declines
- Separate provision of social insurance from work

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#### When Is Public Intervention in Labor Markets Desirable?

- individuals should have a choice on whether to work
  - $\rightarrow$   $\;$  logic of the invisible hand
- work subsidies are desirable when work generates externalities or internalities
  - but these need to be spelled out carefully
- over time, society may develop more efficient ways of providing positive non-wage amenities of work

Image: A matrix and a matrix

#### Raising Revenue when Work does not exist:

- need to tax other factors
  - Pigovian taxes
  - taxes on rents and inelastically supplied factors

### Conclusion:

- labor may soon cease to be the most important factor in the economy
- allocation of income needs to be separated from work
  - risk of widespread misery
  - potential for large welfare gains
- institutions to provide social insurance in such a future are urgently needed
- non-material amenities of work will play a growing role

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