Comments on Rey & Stavrakeva Interpreting Turbulent Episodes in International Finance

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The Messages

- Equities constitute greater amount of cross-border holdings than debt
- Multipolarity is increasing
- Local currency appreciation, stock price rise associated with greater foreign equity holdings
- IV approach confirms greater foreign equity holdings associated with exchange rate appreciation, stock price increase

Outline

- The dominance of cross-border equity
- From identity to regressions
- Post-"Liberation Day"

Equity Surpasses Debt





Assets in ROW, USD norm. by GDP

Liabilities from ROW, USD norm. by GDP

Figure 3: United States (incl. CYM, BHS, BMU)



Identity to Regression

Approach: Start w/Identity



Log linearize

$$p_{t}^{l,E} + q_{t}^{l,E} = \sum_{j} \left(\nu^{l,j,E} \left(s_{t}^{l/j} + d_{t}^{l,j,E} \right) \right)$$
(2)
$$\nu^{l,j,E} = \frac{\overline{S^{l/j} D^{l,j,E}}}{\overline{P^{l,E} Q^{l,E}}},$$
(3)

Obtaining a Testable Equation

First difference:

$$\Delta p_t^{l,E} - \sum_{j \neq l} \nu^{l,j,E} \Delta s_t^{l/j} = \sum_j \nu^{l,j,E} \Delta d_t^{l,j,E} - \Delta q_t^{l,E}.$$
(4)

Rewrite:

$$\bigtriangleup q_t^{l,E} + \bigtriangleup p_t^{l,E} = \sum_{j \in \Omega^l} \nu^{l,j,E} \bigtriangleup s_t^{l/j} + \sum_{j \in \Omega^l} \nu^{l,j,E} \bigtriangleup d_t^{l,j,E} + \left(\nu^{l,l,E} \bigtriangleup d_t^{l,l,E} + \sum_{j \neq l,\Omega^l} \nu^{l,j,E} \left(\bigtriangleup d_t^{l,j,E} + \bigtriangleup s_t^{l/j} \right) \right)$$

Approximation

Restate

$$\bigtriangleup q_t^{l,E} + \bigtriangleup p_t^{l,E} = \sum_{j \in \Omega^l} \nu^{l,j,E} \bigtriangleup s_t^{l/j} + \sum_{j \in \Omega^l} \nu^{l,j,E} \bigtriangleup d_t^{l,j,E} + \left(\nu^{l,l,E} \bigtriangleup d_t^{l,l,E} + \sum_{j \neq l,\Omega^l} \nu^{l,j,E} \left(\bigtriangleup d_t^{l,j,E} + \bigtriangleup s_t^{l/j} \right) \right)$$

$$\underbrace{ \bigtriangleup_{j \in \Omega^{l}}^{l,E} - \sum_{j \in \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}} \bigtriangleup_{t}^{l/j}}_{\bigtriangleup_{H_{t}^{l,E}}^{l,E}} \underbrace{ \underbrace{ \sum_{j \in \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}}_{\bigtriangleup_{H_{t}^{l,E}}^{l,E}} \underbrace{ (6)}_{\underset{j \neq \Omega^{l}}{\bigtriangleup_{t}}} \underbrace{ \underbrace{ \sum_{j \in \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (6)}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ \underbrace{ \sum_{j \in \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}{\boxtimes_{t}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace{ (2 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}}_{\underset{j \neq \Omega^{l}}} \underbrace$$

Rewriting the Identity

$$\bigtriangleup q_t^{l,E} + \bigtriangleup p_t^{l,E} = \sum_{j \in \Omega^l} \nu^{l,j,E} \bigtriangleup s_t^{l/j} + \sum_{j \in \Omega^l} \nu^{l,j,E} \bigtriangleup d_t^{l,j,E} + \left(\nu^{l,l,E} \bigtriangleup d_t^{l,l,E} + \sum_{j \neq l,\Omega^l} \nu^{l,j,E} \left(\bigtriangleup d_t^{l,j,E} + \bigtriangleup s_t^{l/j} \right) \right)$$

$$\underbrace{ \bigtriangleup_{j \in \Omega^{l}}^{l,E} - \sum_{j \in \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}} \bigtriangleup s_{t}^{l/j}}_{\bigtriangleup \widetilde{H}_{t}^{l,E}} = \underbrace{\sum_{j \in \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}} \bigtriangleup d_{t}^{l,j,E}}_{\bigtriangleup H_{t}^{l,E}} + resid_{t}^{l,E}}$$
(6)
where $resid_{t}^{l,E} = \sum_{j \neq \Omega^{l}} \frac{\nu^{l,j,E}}{1 - \sum_{j \neq \Omega^{l}} \nu^{l,j,E}} \left(\bigtriangleup d_{t}^{l,j,E} + \bigtriangleup s_{t}^{l/j} - \bigtriangleup p_{t}^{l,E} - \bigtriangleup q_{t}^{l,E}\right) - \bigtriangleup q_{t}^{l,E}.$ (7)
=0
$$\approx 0$$

Two Identities



Two Identities, and Two Regressions



Estimated β & θ are *Correlations*

- In first regression equation, if approximation residual and change weighted exchange rate were uncorrelated with $\Delta H_t^{l,E}$, then unbiased estimate of β from reduced form equation
- In second regression equation, if approximation residual and change in domestic market price were uncorrelated with $\Delta H_t^{l,E}$, then unbiased estimate of θ from reduced form equation
- This motivates use of high frequency data (30 day changes)

Fig 7: Regress exchange rate changes on $\Delta H_t^{l,E}$

Regression Coef from regressing the FX index on CPIS Holdings (Sorted by Equity Holdings) Darker Bars = Significant at p<0.1



FX

Regression works well by avoiding regressing prices on quantities or vice versa

Fig 8: regress 30 day exchange rate changes on $\Delta \widetilde{H}_{t}^{l,E}$

Regression Coef from regressing the FX index on Market-Price Implied Holdings (Sorted by Equity Holdings) Darker Bars = Significant at p<0.1



 $\mathbf{F}\mathbf{X}$

Fig 9: 30 day changes, non-IV vs IV

Regression Coef from regressing the FX index on Market-Price Implied Holdings and the IV Equivalent (Sorted by Equity Holdings) Darker Bars = Significant at p<0.1



IV relies on ETF shares purging VIX and past fund performance as demand proxy

IV Description

- ...based on the 30-day growth rate of the BlackRock MSCI iShare ETFs' outstanding shares ...[which] captures the ETF investors' decision to invest in a given stock market rather than valuation effects ...
- The decision of the final ETF investor ... is driven by many factors. For example, fluctuations in risk aversion is one of the key drivers. Past performance of the ETF itself, which of course captures the performance of the local stock market, is another driver.

IV Description

• To clean these effects, we regress the 30-day growth rate of outstanding shares of a given ETF on contemporaneous and past VIX growth rates and past fund performance. We treat the residual of these regressions as a proxy for foreign equity demand Our preferred interpretation of this instrument is that it captures contemporaneous country-specific news (as lagged stock market performance correlates with passed news, which we clean the effect of) and idiosyncratic demand shocks due to idiosyncratic beliefs...

Summary: Annual CPIS vs Daily vs. IV



Annual vs. 30 Day Changes

- Many changes in rankings Annual vs. 30 day
- Fewer changes in magnitudes (GBP, EGP)
- Few changes fm non-IV to IV (CAD, AUD, EUR)
- Can we infer something from the pattern of exchange rate vs. price adjustments?

Fig 8: regress 30 day exchange rate changes on $\Delta \widetilde{H}_t^{l,E}$

Regression Coef from regressing the FX index on Market-Price Implied Holdings (Sorted by Equity Holdings) Darker Bars = Significant at p<0.1



Smallest exchange rate coefficients for pegged rate, managed rate (HKD, CNH)

Liberation Day Aftermath

Ten Year TIPS and Dollar



"Liberation Day" vs. Bleach Day



Equities; FX index

"Liberation Day" vs. Bleach Day



LT Government Debt; FX index

Final Remarks

- Innovative approach to avoiding use of quantity data
- Relies on growth rate of domestic holdings approximately equal to local stock market price growth
- Interesting results regarding apportionment of price and exchange rate changes and foreign equity holdings
- Looking forward to more economic interpretation of why the pattern of heterogeneity exists